# Weekly Meeting Journal Club

# Fourier-transform sum-frequency surface vibrational spectroscopy with femtosecond pulses

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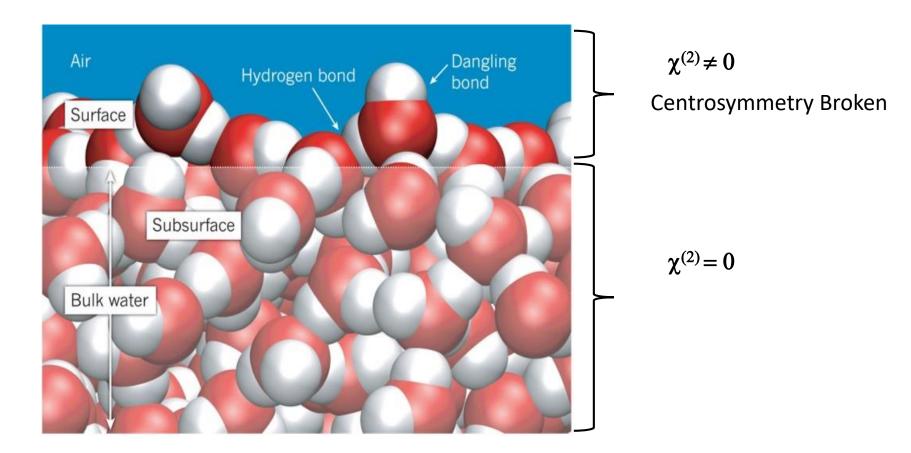
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We present a Fourier-transform spectroscopic technique for investigation of surfaces and interfaces based on IR-visible sum-frequency generation with femtosecond light pulses. The observed spectrum has a resolution that is independent of the input pulse characteristics. © 1999 Optical Society of America OCIS codes: 190.4350, 300.6300, 190.7110, 300.6490.

Presenter: Krem Sona 09-September-2017

# Introduction

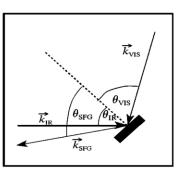
Under electric dipole approximation, SFG cannot be observed in centrosymmetric media.

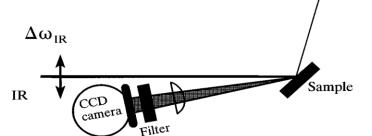


#### SFG with picosecond light pulses

#### One of the few attempts to obtain subbandwidth resolution

IR	VIS	SFG
45	60	59
1000	19102	20102





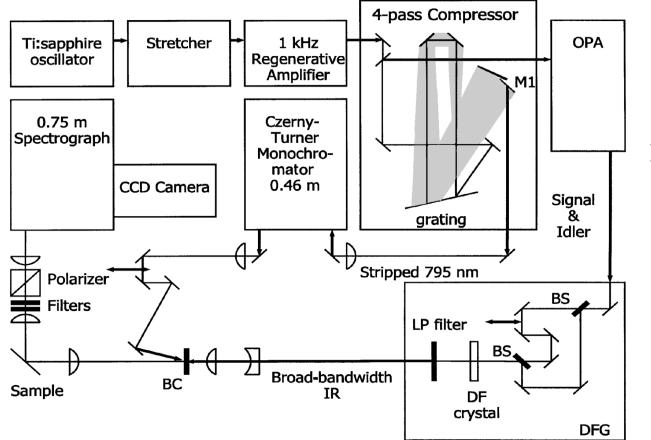
- Visible / Variation of the SFG exit angle with frequency
  - The different frequency components of the sum-frequency (SF) signal can then be collected by different elements of a multielement detector.
  - In this case the spectral resolution depends crucially on the beam divergence.

 $\omega_{\rm VIS} \sin \theta_{\rm vis} - \omega_{\rm IR} \sin \theta_{\rm IR} = \omega_{\rm SFG} \sin \theta_{\rm SFG}$ 

$$\frac{\mathrm{d}\theta_{\mathrm{SFG}}}{\mathrm{d}\omega_{\mathrm{IR}}} = -\frac{\omega_{\mathrm{VIS}}}{\omega_{\mathrm{SFG}^2}\cos\theta_{\mathrm{SFG}}}(\sin\theta_{\mathrm{IR}} + \sin\theta_{\mathrm{VIS}})$$
$$\frac{\mathrm{d}\theta_{\mathrm{SFG}}}{\mathrm{d}\omega_{\mathrm{VIS}}} = +\frac{\omega_{\mathrm{IR}}}{\omega_{\mathrm{SFG}^2}\cos\theta_{\mathrm{SFG}}}(\sin\theta_{\mathrm{IR}} + \sin\theta_{\mathrm{VIS}})$$

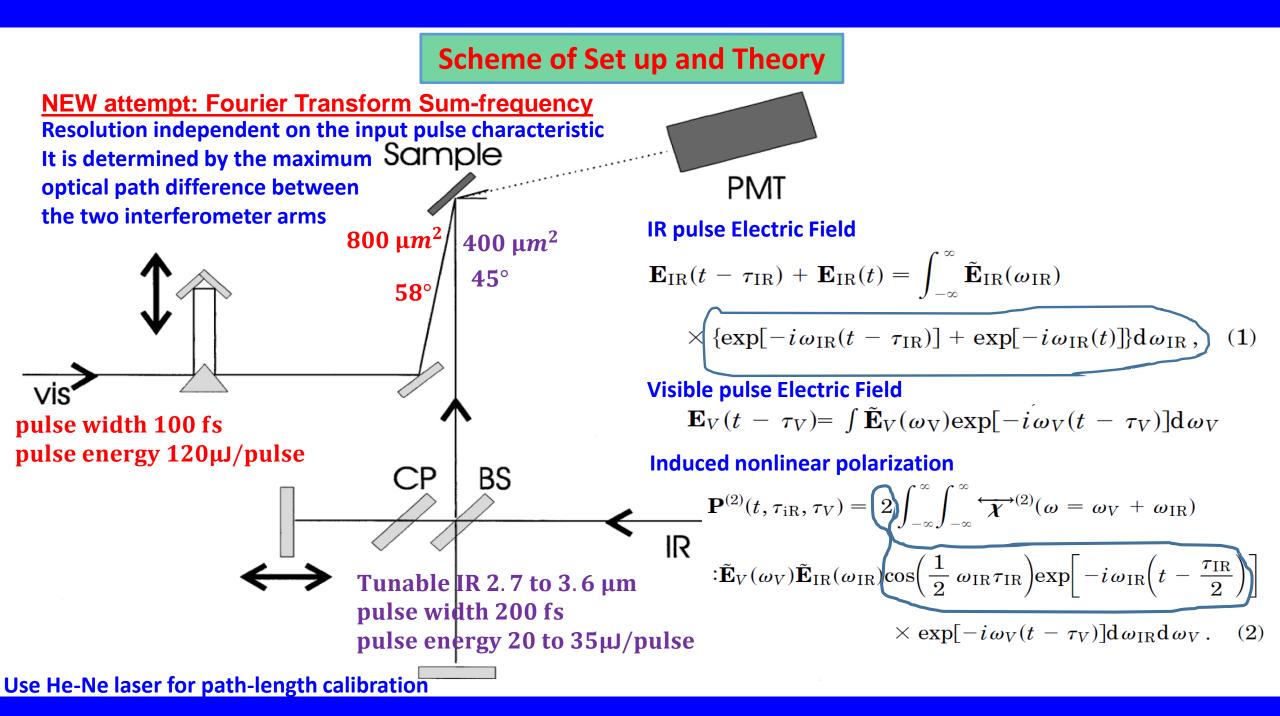
At fix  $\theta_{IR}$  and  $\theta_{VIS}$ 

#### Another attempt to obtain subbandwidth resolution



Disperse the broadband SFG signal by a monochromator

The spectral resolution depends on the input pulse characteristics, particularly the bandwidth of the visible pulse.



#### **Induced nonlinear polarization**

$$\mathbf{P}^{(2)}(t,\tau_{\mathrm{iR}},\tau_{\mathrm{V}}) = 2 \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \overleftarrow{\boldsymbol{\chi}}^{(2)}(\omega = \omega_{\mathrm{V}} + \omega_{\mathrm{IR}})$$
$$: \tilde{\mathbf{E}}_{V}(\omega_{V})\tilde{\mathbf{E}}_{\mathrm{IR}}(\omega_{\mathrm{IR}}) \cos\left(\frac{1}{2}\omega_{\mathrm{IR}}\tau_{\mathrm{IR}}\right) \exp\left[-i\omega_{\mathrm{IR}}\left(t - \frac{\tau_{\mathrm{IR}}}{2}\right)\right]$$
$$\times \exp\left[-i\omega_{V}(t - \tau_{V})\right] d\omega_{\mathrm{IR}} d\omega_{V}. \quad (2)$$

If the dispersion of  $\overleftarrow{\chi}^{(2)}$  in  $\omega_V$  is negligible, we find that

$$\begin{split} \mathbf{P}^{(2)}(t,\tau_{\mathrm{IR}},\tau_{V}) &= 2 \int_{-\infty}^{\infty} \overleftarrow{\chi}^{(2)}(\omega = \omega_{V} + \omega_{\mathrm{IR}}) \\ &: \mathbf{E}(t - \tau_{V}) \widetilde{\mathbf{E}}_{\mathrm{IR}}(\omega_{\mathrm{IR}}) \mathrm{cos} \Big(\frac{1}{2} \,\omega_{\mathrm{IR}} \tau_{\mathrm{IR}} \Big) \\ &\times \exp \Big[ -i \omega_{\mathrm{IR}} \Big( t - \frac{\tau_{\mathrm{IR}}}{2} \Big) \Big] \mathrm{d} \,\omega_{\mathrm{IR}} \,. \end{split}$$

For a given set of  $\tau_{\text{IR}}$  and  $\tau_V$ , the  $\hat{i}$ -polarized SFG output is proportional to  $\int |P_i^{(2)}(t, \tau_{\text{IR}}, \tau_V)|^2 dt$ . Integration of this output over  $\tau_V$  yields the desired SFG interferogram:

$$\left| \begin{array}{l} P_{i}^{(2)}(t,\tau_{\mathrm{IR}},\tau_{V}) \right|^{2} \, \mathrm{d}\tau_{V} \\ = 4 \mathcal{P}_{V,i} \int \left| \begin{array}{l} \chi_{ijk}^{(2)}(\omega = \omega_{V} + \omega_{\mathrm{IR}}) \tilde{E}_{\mathrm{IR},k}(\omega_{\mathrm{IR}}) \right|^{2} \\ \times \, \cos^{2} \left( \frac{1}{2} \, \omega_{\mathrm{IR}} \tau_{\mathrm{IR}} \right) \mathrm{d}\omega_{\mathrm{IR}} \equiv S(\tau_{\mathrm{IR}}) \,, \end{array} \right.$$

$$(4)$$

where 
$$\mathcal{P}_{Vj} \equiv \int |E_{V,j}(t - \tau_V)|^2 \mathrm{d}\tau_V.$$

Fourier Transform of  $S(\tau_{\rm IR})$ give  $|\chi_{ijk}^{(2)}(\omega = \omega_V + \omega_{\rm IR})|^2 |\tilde{E}_{{\rm IR},k}(\omega_{\rm IR})|^2$ 

#### **After normalization**

(3)

$$|\chi_{ijk}^{(2)}(\omega = \omega_V + \omega_{\rm IR})|^2$$

## **Experiments**

*n*-octadecyltrichlorosilane [CH<sub>3</sub>CH<sub>217</sub>SiCl<sub>3</sub> (OTS)] monolayer on fused silica

Interferograms were obtained by summing five interferograms with  $\tau_V$  0, 250, 500, 750, 1000 fs

Maximum IR path difference 1.5 mm spectral resolution is 6.6 cm<sup>-1</sup>

The spectrum are normalized by the IR pulse spectrum FWHM of 150 cm<sup>-1</sup>

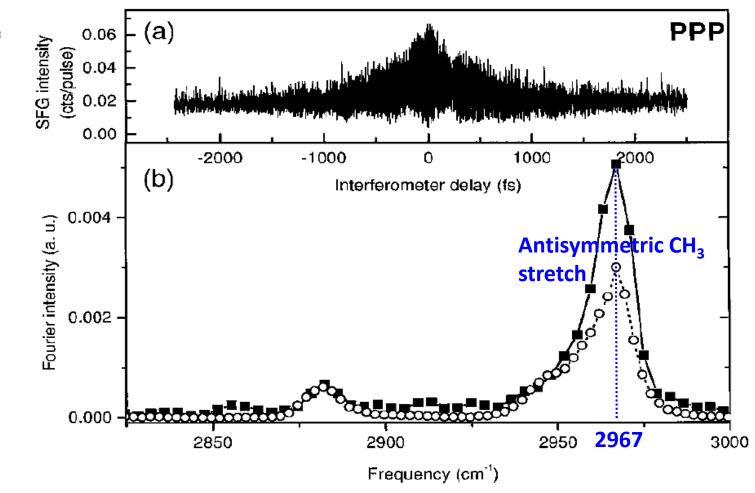


Fig. 2. (a) FT-SFG interferometer trace, along with (b) its FT (squares) and the conventional picosecond SFG spectrum (circles). Polarization configuration, PPP.

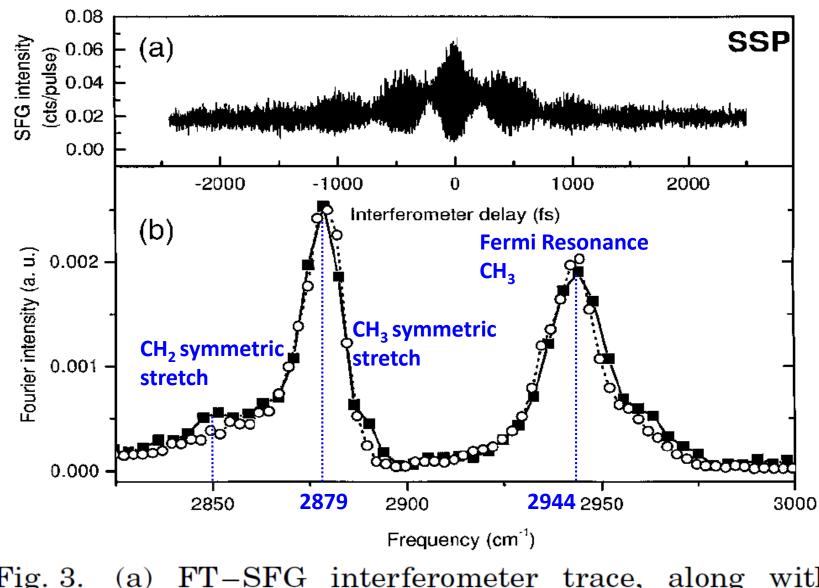


Fig. 3. (a) FT–SFG interferometer trace, along with (b) its FT (squares) and the conventional picosecond SFG spectrum (circles). Polarization configuration, SSP.

The peaks assignment here are more accurate than that in ref6 because of using He-Ne laser for path-length calibration

### Main drawback

- Slow scanning speed of IR interferometer
- As in conventional FT spectroscopy, shot noise and source noise in the interferogram should appear as noise over the entire frequency range in the FT spectrum

# Conclusion

Main advantages of FT-SFG are

- > The source-independent spectral resolution
- > The absolute frequency calibration