SHG of Single BaTiO₃ Nanoparticles down to 22 nm Diameter

<u>Eugene Kim</u> [†], <u>Andrea Steinbrück</u> [†], <u>Maria Teresa Buscaglia</u> [‡], <u>Vincenzo</u> <u>Buscaglia</u> [‡], <u>Thomas Pertsch</u> [†], and <u>Rachel Grange</u> [†]

⁺ Institute of Applied Physics, Abbe Center of Photonics, Friedrich Schiller University Jena, Germany ⁺ Institute for Energetics and Interphases, Department of Genoa, National Research Council, Italy *ACS Nano*, **2013**, *7*(6), pp 5343–5349

Zaure 2013.10.05

Abstract

- SHG from single ferroelectric BaTiO₃ nanoparticles
- a diameter range 70 nm down to 22 nm
- a far-field optical microscope coupled to an infrared femtosecond laser

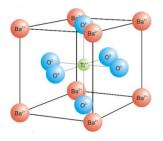
opens up the possibilities

- of using them as bright coherent biomarkers
- to investigate ferroelectricity at the nanoscale

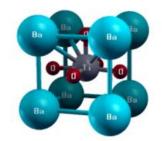
Introduction

- Ferroelectric
- Dipole moment
- Ordering of dipole moments

centrosymmetric

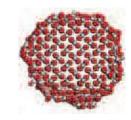


noncentrosymmetric barium titanate crystal



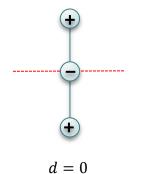


Distortion at the surface



Centrosymmetric

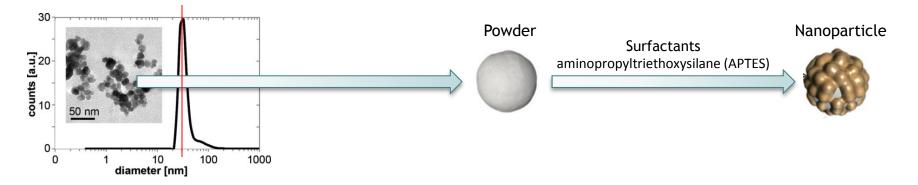
Noncentrosymmetric



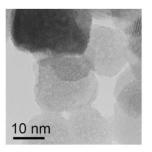


 $d \neq 0$

Particle Synthesis and Colloidal Suspension



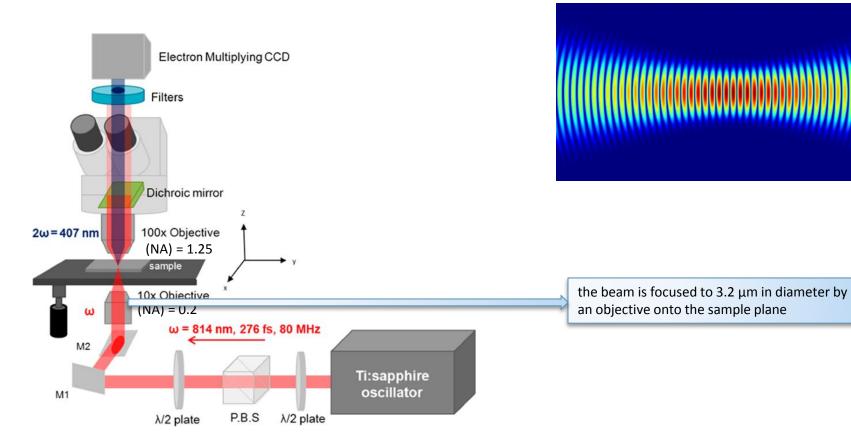
The transmission electron microscope image



A dried powder \rightarrow functionalized the surface with primary amine using APTES to obtain a stable colloidal suspension in an ethanol/water solution.

Size distribution measurement with dynamic light scattering (DLS) method gave a peak centered at 32 nm

Optical Transmission Microscope



Measured SHG and AFM image

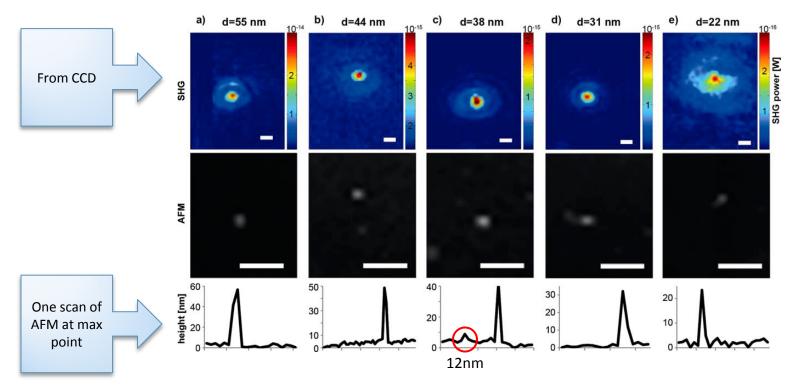
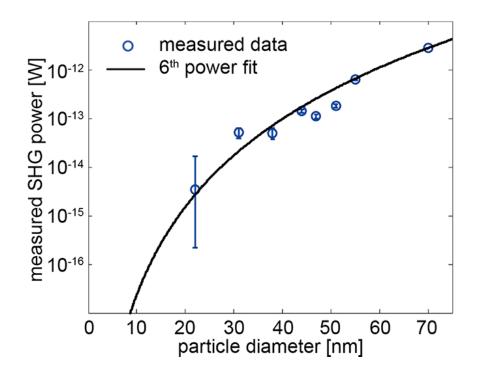


Figure 3

Relation of BaTiO₃ nanoparticle diameters and the logarithm of the SHG power

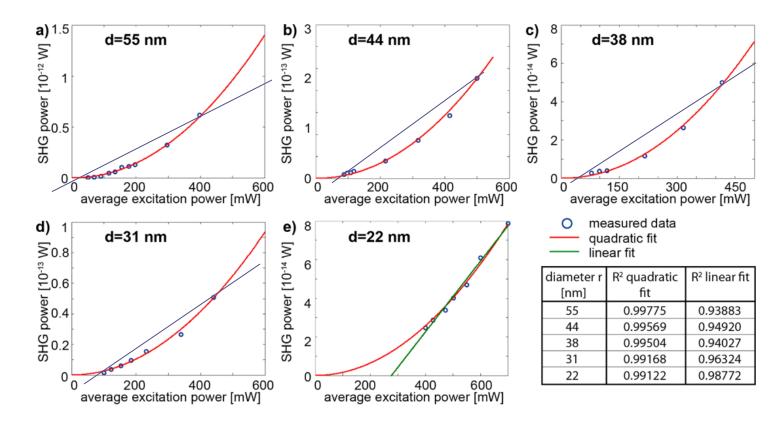


$$I \sim V^2$$

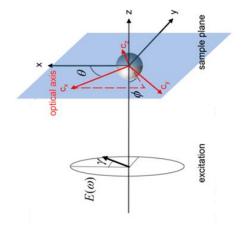
$$V \sim d^3 \rightarrow I \sim d^6$$

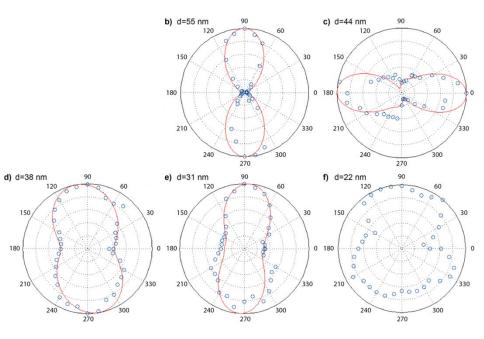
6th power law

SHG power dependency



The measurement of the polarization-dependent SHG



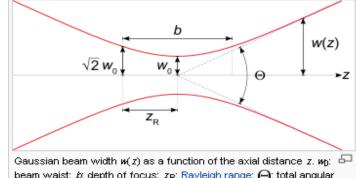


Conclusion

- The authors conclude that the 22 nm particles of noncentrosymmetric BaTiO3 is exceptional in properties judging by SHG
 effects and the deviations from the "normal" behavior of larger particles can be attributed to peculiar core-shell structure of
 the particle.
- The authors also conclude that their data on 22 nm particle indicate the presence of either tetragonal core-shell cubic structure or surface disorder in the nanoparticle.
- They are going to perform some more calculation in order to prove their conclusion.
- They claim that their method is outstanding in investigation of ferroelectricity and biomarker response in extremely small nanoparticles.

Gaussian beam

$$E(r,z) = E_0 \frac{w_0}{w(z)} \exp\left(\frac{-r^2}{w(z)^2} - ikz - ik\frac{r^2}{2R(z)} + i\zeta(z)\right)$$



The corresponding time-averaged intensity (or irradiance) distribution is

$$I(r,z) = \frac{|E(r,z)|^2}{2\eta} = I_0 \left(\frac{w_0}{w(z)}\right)^2 \exp\left(\frac{-2r^2}{w^2(z)}\right) ,$$

beam waist; $\dot{\alpha}$ depth of focus; $z_{\rm R}$: Rayleigh range; Θ : total angular spread

where $I_0 = I(\underline{0,0})$ is the intensity at the center of the beam at its waist. The constant η is the characteristic impedance of the medium in which the beam is propagating.

For a Gaussian beam propagating in free space, the spot size (radius) w(z) will be at a minimum value wo at one place along the beam axis, known as the beam waist. For a beam of wavelength λ at a distance z along the beam from the beam waist, the variation of the spot size is given by⁽¹⁾

$$w(z) = w_0 \sqrt{1 + \left(\frac{z}{z_{\mathrm{R}}}\right)^2}$$

where the origin of the z-axis is defined, without loss of generality, to coincide with the beam waist, and where^[1]

$$z_{\rm R} = \frac{\pi w_0^2}{\lambda}$$

is called the Rayleigh range.

http://en.wikipedia.org/wiki/Gaussian beam