# Molecular Design Strategies for Optimizing the Nonlinear Optical Properties of Chiral Crystals

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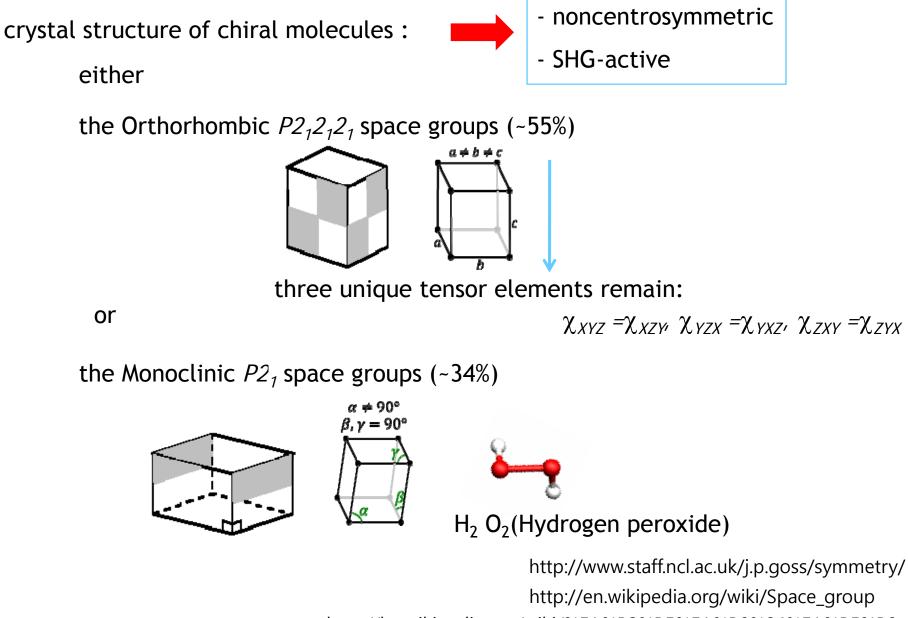
**ABSTRACT:** A simple theoretical framework is presented to identify the key molecular properties and macromolecular arrangements leading to high second-order nonlinear optical (NLO) activity of chiral crystals. In chiral materials, maximum second harmonic generation (SHG) efficiency is predicted for an *antiparallel molecular arrangement of A-like chromophores.* This prediction is in stark contrast to the majority of previous crystal engineering efforts for second-order NLO materials, which have been focused almost exclusively on *the construction of crystals exhibiting high degrees of polar order.* Methods for possible rational electrostatic control of crystal structure by appropriate molecular design are considered.

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Chiral crystals have the distinct advantage of necessarily lacking inversion symmetry and therefore always exhibiting symmetry-allowed SHG.

However, symmetry alone does not necessarily provide a direct indication of the efficiency of SHG-activity, suggesting the need for a rational design framework

#### Theory



http://ko.wikipedia.org/wiki/%EA%B3%B5%EA%B0%84%EA%B5%B0

 $P2_12_12_1$  crystal exhibits no permanent dipole

So , adopt octupolar systems

- turning off dipolar electrostatic interactions
- form noncentrosymmetric SHG-active bulk materials

The SHG efficiency

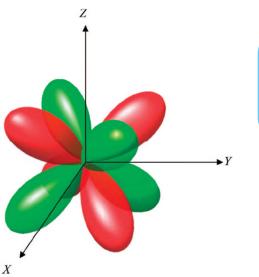
is given by the projection of the molecular tensor onto the hyperellipsoid

Figure 1. Hyper-ellipsoid representation of the  $\chi^{(2)}$  tensor for the P2<sub>1</sub>2<sub>1</sub>2<sub>1</sub> space group. SHG polarization (green = positive, red = negative).

net NLO tensor of the bulk material :

$$\chi_{IJK} \simeq N_b \sum_{ijk=x,y,z} \langle R_{Ii} R_{Jj} R_{Kk} \rangle \beta_{ijk}$$

R :an element of the Euler rotation matrix describing the coordinate transformation between the molecular and macroscopic frames.



#### Case 1: Rod-like $\beta_{zzz}$ -Dominated NLO Chromophores.

the maximum projection(c) :

projections of the molecular z axis onto each of the bulk X, Y, and Z axes

a)

b)

The greatest collective projection : the molecular z-axis trisects all three coordinates with a projection of  $1/\sqrt{3}$  along each crystallographic axis

the macroscopic chiral tensor:

$$\chi_{XYZ} = \chi_{YZX} = \chi_{ZXY} = \frac{1}{3\sqrt{3}} N_b \beta_{zzz}$$

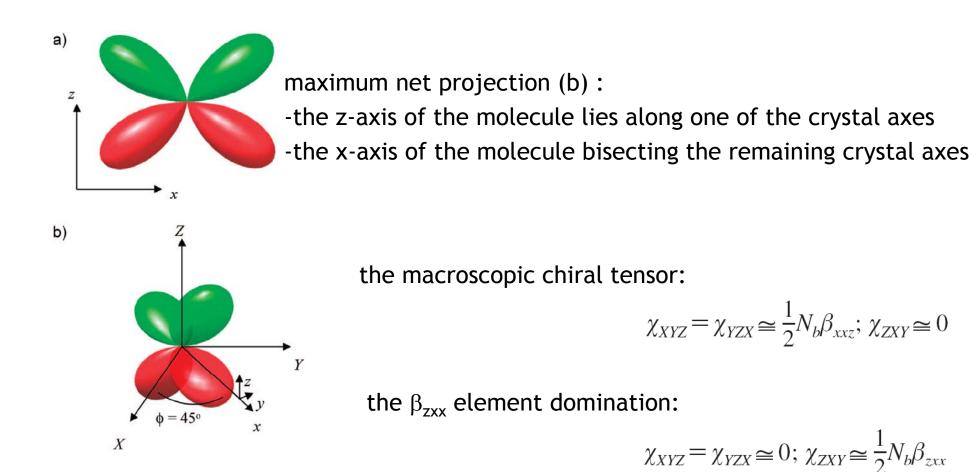
maximum value of  $\chi^{(2)}$  tensor : 19% per-molecule efficiency : ~ 4%

Figure 2. Hyper-ellipsoid representation of a  $\beta_{zzz}$  dominated chromophore(a). The optimal projection of the  $\beta_{zzz}$  dominated hyperellipsoid (b) on to the hyperellipsoid of the P2<sub>1</sub>2<sub>1</sub>2<sub>1</sub> space group (c) in Cartesian coordinates.

X

c)

Case 2:  $\Lambda$ -Like  $\beta_{xxz} = \beta_{xzx}$ -Dominated Chromophores.



maximum value of  $\chi^{(2)}$  tensor : 50%

per-molecule efficiency : 25%

Figure 3. Hyper-ellipsoid representation of a  $\beta_{xxz} = \beta_{xzx}$  dominated chromophore (a) and the optimal orientation to maximize projection on to the P2<sub>1</sub>2<sub>1</sub>2<sub>1</sub> hyper-ellipsoid representation (b).

Case 3: Planar Octopolai  $\beta_{xxz} \simeq \beta_{zxx} \simeq -\beta_{zzz}$  Dominated Chromophores

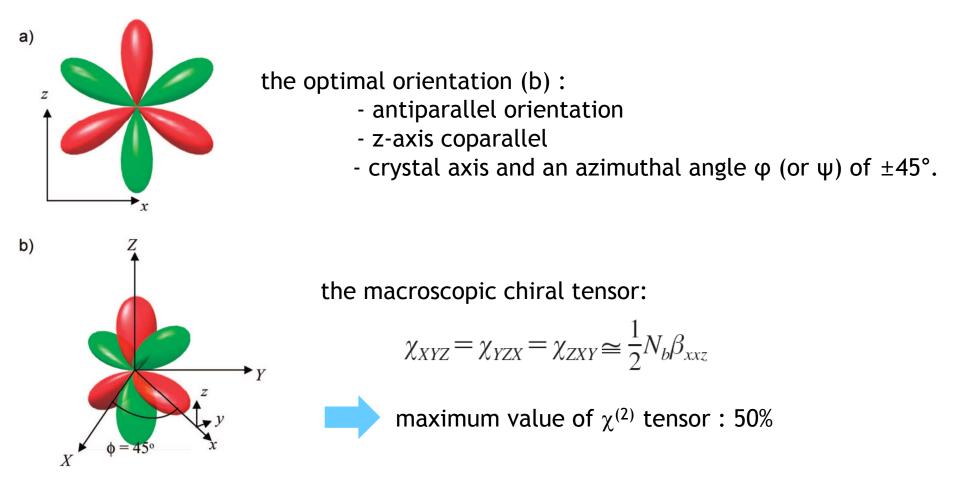


Figure 5. Hyper-ellipsoid of an octupolar chromophore (a) and the optimal projection onto the hyper-ellipsoid for the  $P2_12_12_1$  space group (tridentate classes)(b).

## Conclusion

- In chiral materials, electrostatic change of crystal structure decide according to a molecular design