



# *Fluctuation properties of chaotic light*

## ❖ *Two types of light source*

- Chaotic light

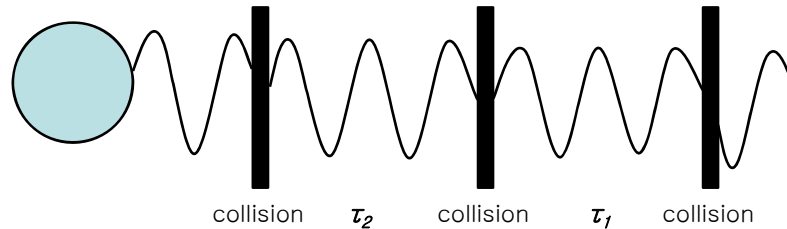
(thermal cavity, filament lamp)

The different atoms are excited by an electrical discharge and emit their radiation **independently of one another**.

The shape of an emission line is determined by the statistical spread in atomic velocities and the random occurrence of collisions.

- Laser

## ❖ *Model of collision-broadened light source*

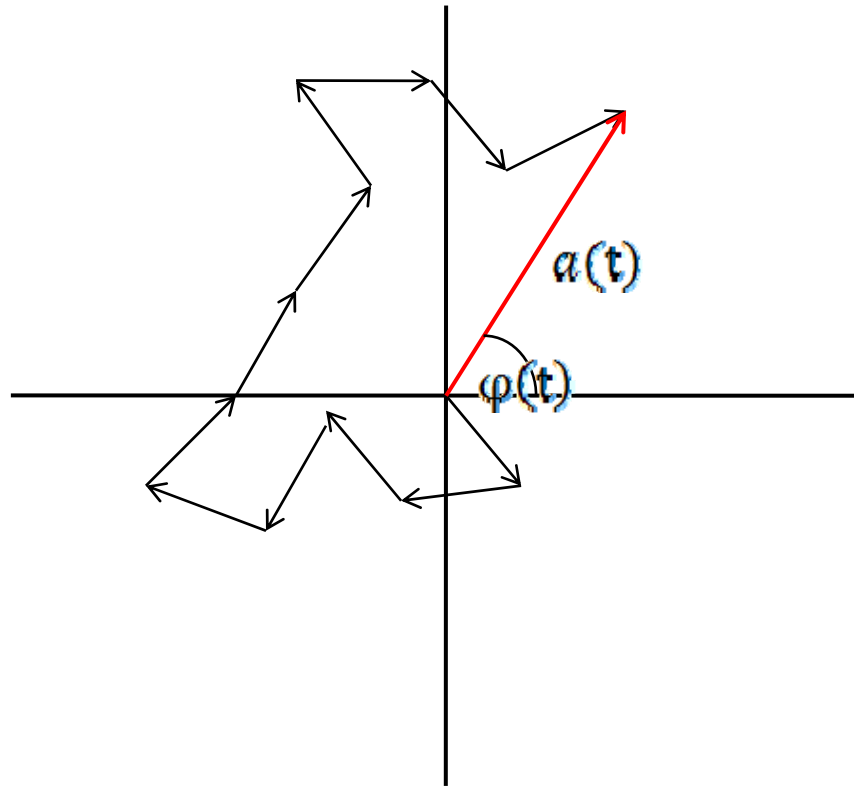


$$\mathbf{E}(t) = E_0 \exp\{-i\omega_0 t + i\phi(t)\}$$

The phase  $\phi(t)$  remains constant during periods of free flight but changes abruptly each time a collision occurs. The amplitude  $E_0$  And frequency  $\omega_0$  are the same for any period. If there is a large number  $\nu$  of such atoms, the total electric field amplitude is

$$\begin{aligned} \mathbf{E}(t) &= \mathbf{E}_1(t) + \mathbf{E}_2(t) + \dots + \mathbf{E}_\nu(t) \\ &= E_0 \exp(-i\omega_0 t) \{ \exp(i\phi_1(t)) + \exp(i\phi_2(t)) + \dots + \exp(i\phi_\nu(t)) \} \\ &= E_0 \exp(-i\omega_0 t) \alpha(t) \exp(i\phi(t)) \end{aligned}$$

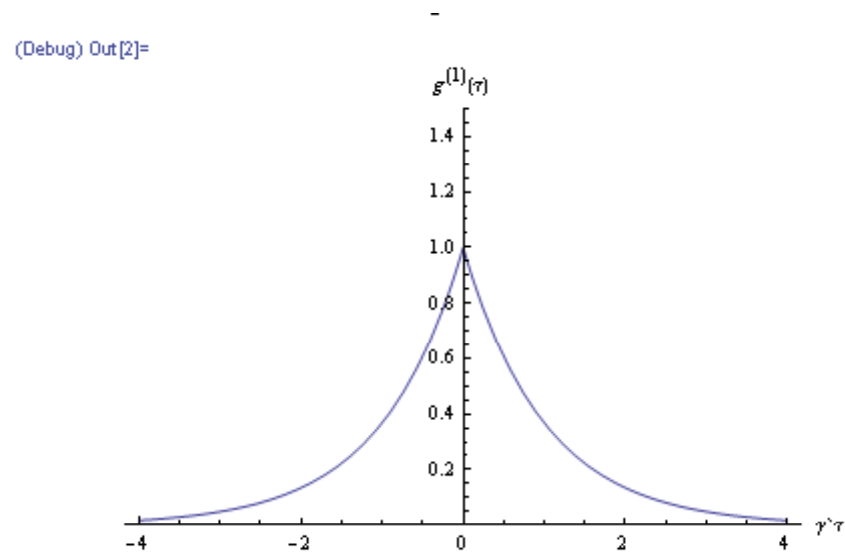
## ❖ *Model of collision-broadened light source*



Argand diagram to show the amplitude and phase of the resultant vector formed by a large number of unit vectors, each of which has a randomly chosen phase angle.

## ❖ Degree of first-order coherence

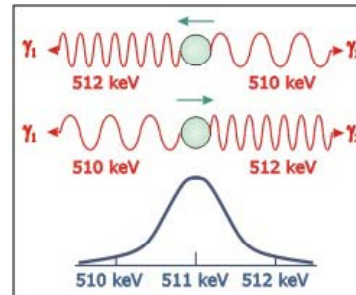
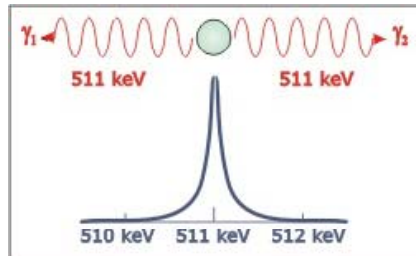
$$g^{(1)}(z_1, t_1, z_2, t_2) \equiv g^{(1)}(\tau) = e^{-i\omega_0\tau - \gamma|\tau|}$$



*The modulus of the degree of first-order coherence for chaotic light of linewidth parameter  $\gamma$ .*

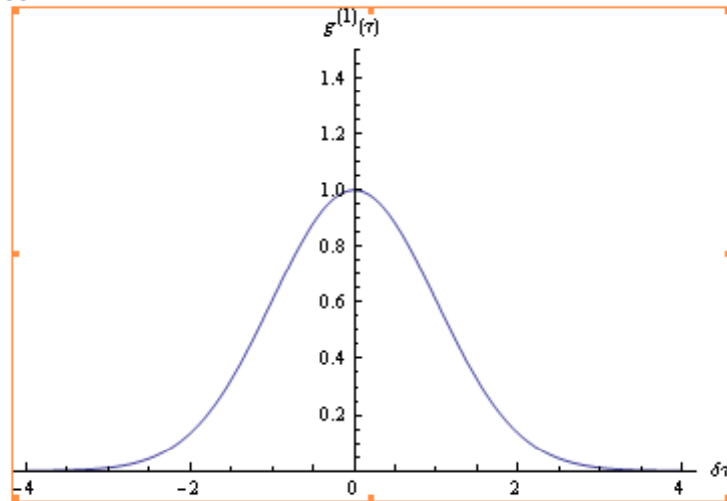
# ❖ Degree of first-order coherence

*Doppler broadening*



$$g^{(1)}(\tau) = e^{-i\omega_0\tau - \frac{1}{2}\delta^2\tau^2}$$

(Debug) Out[6]=



*The modulus of the degree of first-order coherence for chaotic light of Gaussian frequency distribution with root-mean-square width  $\delta$ .*